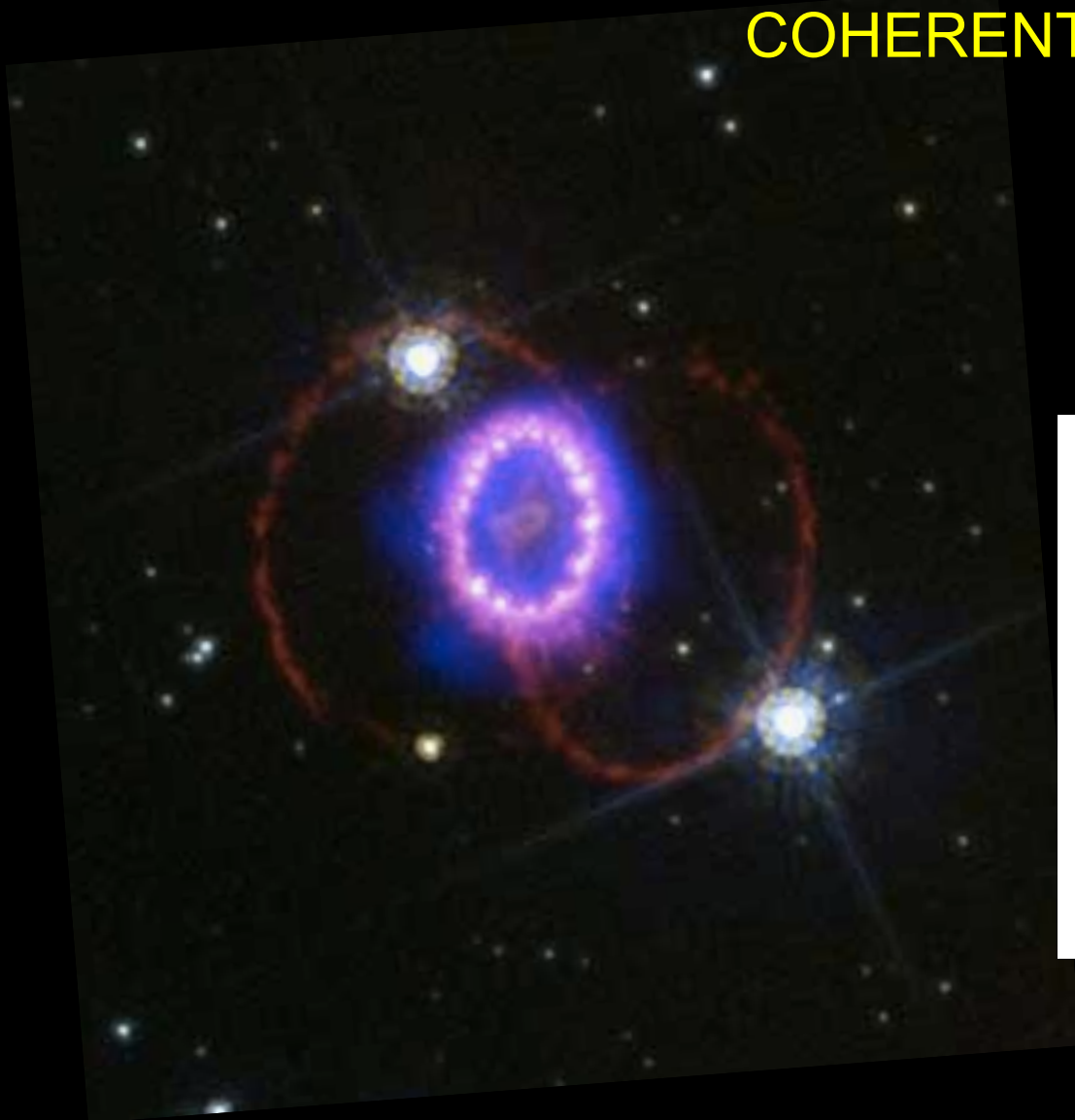


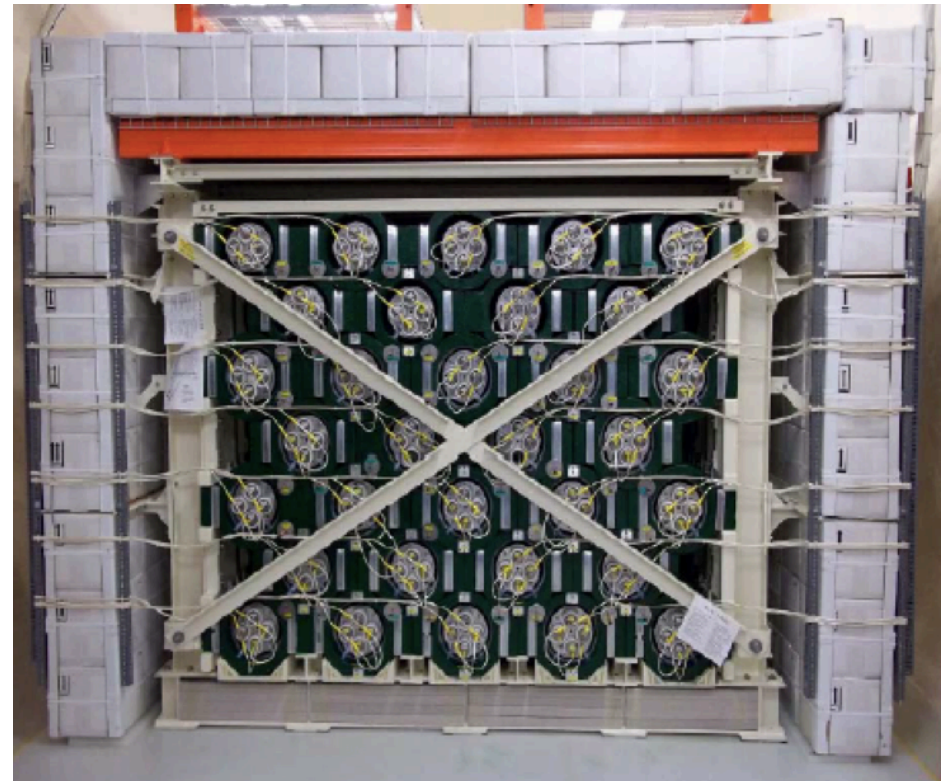
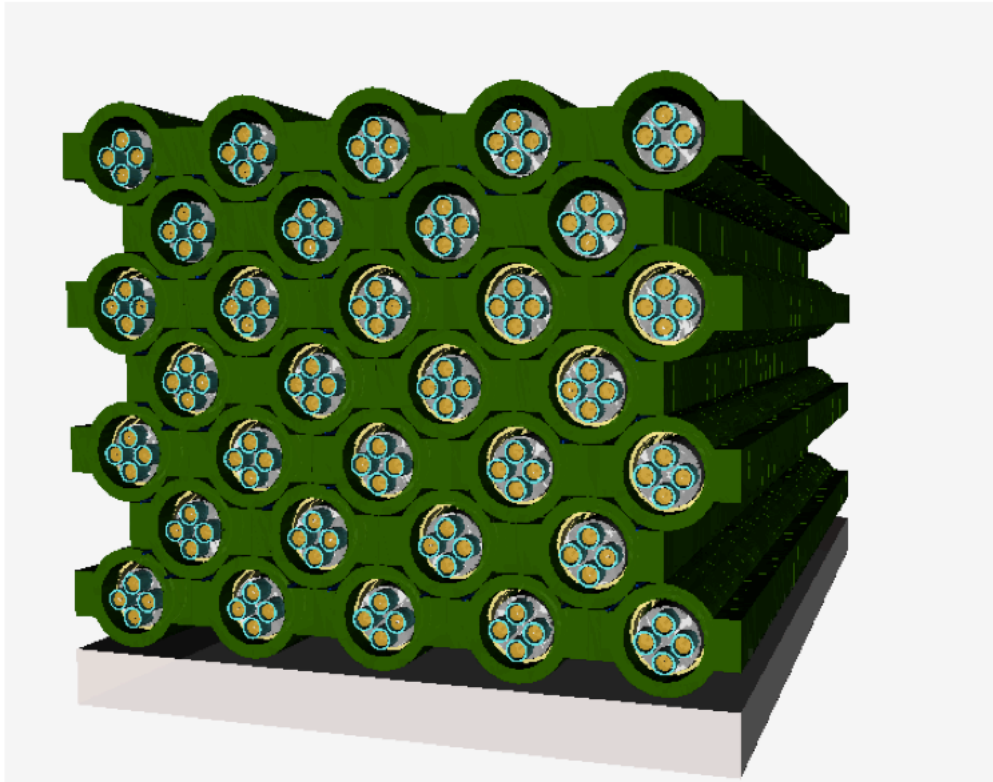
# The Helium and Lead Observatory

K. Scholberg, Duke University  
COHERENT Theory workshop



# HALO at SNOLAB

- 79 tonnes of lead instrumented with old SNO  $^3\text{He}$  neutron counters, w/HPDE moderator + water shield
- dedicated for supernova neutrino detection



- taking data since 2013
- very low maintenance



# Interactions of supernova neutrinos on lead

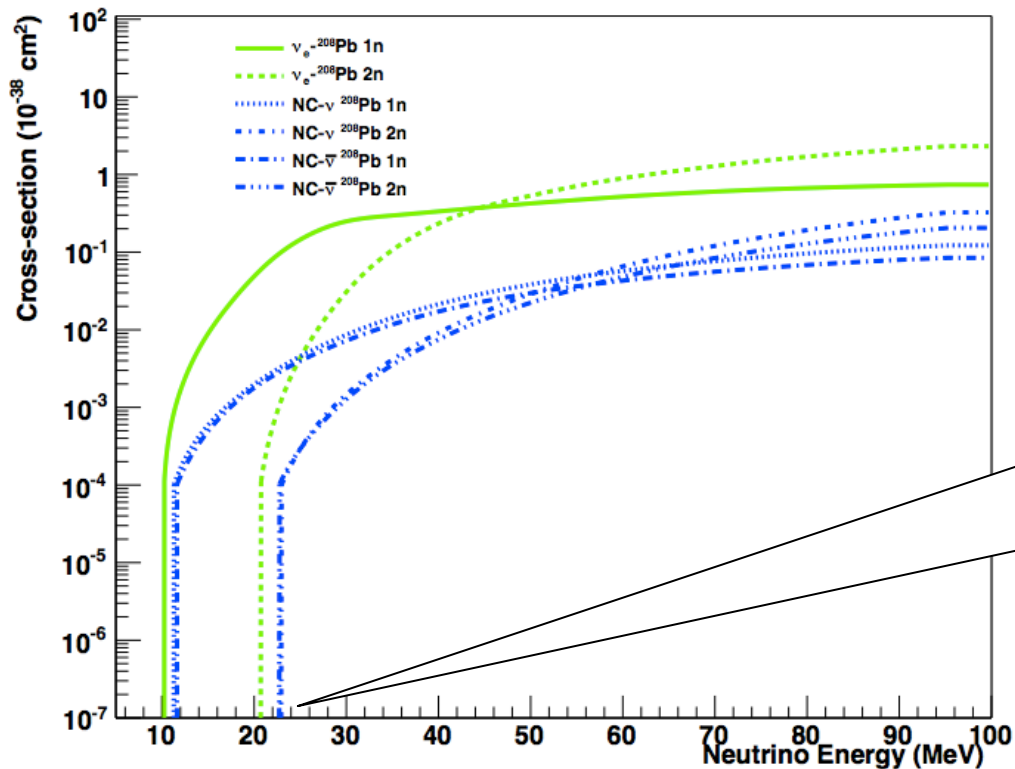


1n, 2n emission



1n, 2n,  $\gamma$  emission

Observe single and double ~few MeV neutron events in the  ${}^3\text{He}$  counters



sharp thresholds, so 1n/2n relative rates are strongly dependent on the neutrino spectrum

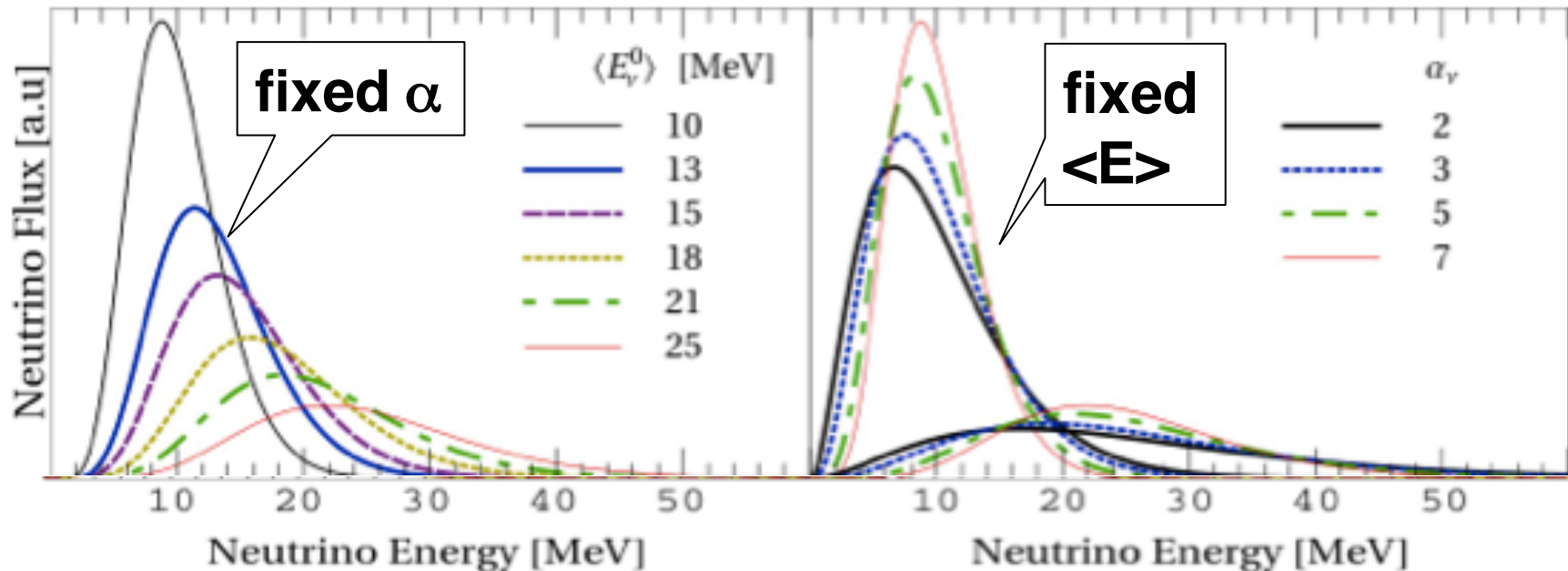
(similar for other lead isotopes)

# Expected supernova neutrino spectra

Vaananen & Volpe JCAP 1110:019, 2011, arXiv:1105.6225

Modified power law is a decent approximation;  
different  $\alpha$ ,  $\langle E \rangle$  parameters for different flavors

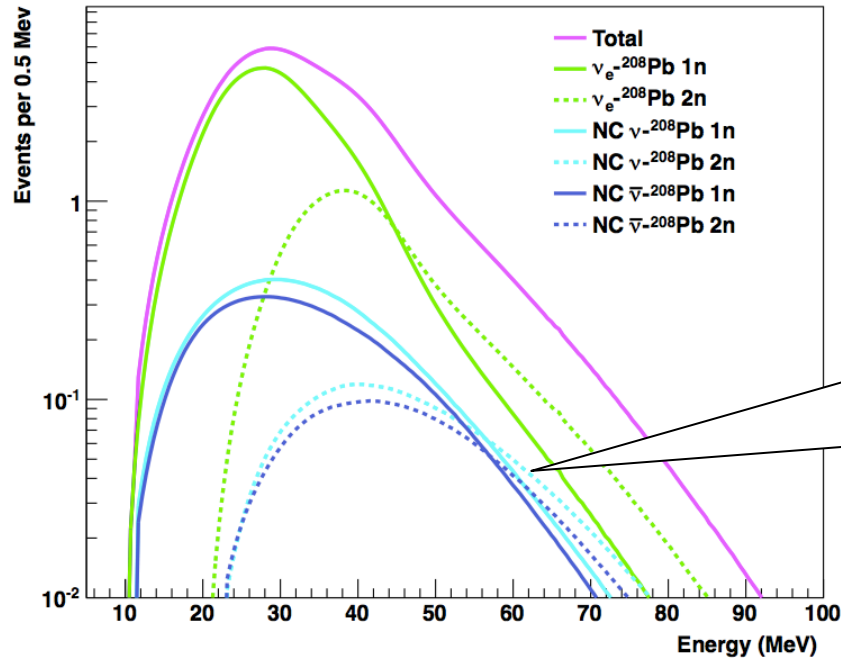
$$\phi(E_\nu) = \mathcal{N} \left( \frac{E_\nu}{\langle E_\nu \rangle} \right)^\alpha \exp \left[ -(\alpha + 1) \frac{E_\nu}{\langle E_\nu \rangle} \right] \quad \mathcal{N} = \frac{(\alpha + 1)^{\alpha+1}}{\langle E_\nu \rangle \Gamma(\alpha + 1)}$$



The larger the “pinching” parameter  $\alpha$ ,  
the more suppressed the high energy tail

# Example of event rates for particular models

<http://www.phy.duke.edu/~schol/snowglobes>



2n events  
sample  
higher  
neutrino  
energies

Channel	Events, "Livermore" model	Events, "GKVM" model
$\nu_e + {}^{208}\text{Pb} \rightarrow e^- + {}^{207}\text{Bi} + n$	124	173
$\nu_e + {}^{208}\text{Pb} \rightarrow e^- + {}^{206}\text{Bi} + 2n$	14	45
$\nu_x + {}^{208}\text{Pb} \rightarrow \nu_x + {}^{207}\text{Pb} + n$	53	23
$\nu_x + {}^{208}\text{Pb} \rightarrow \nu_x + {}^{206}\text{Pb} + 2n$	27	7
$\bar{\nu}_x + {}^{208}\text{Pb} \rightarrow \bar{\nu}_x + {}^{207}\text{Pb} + n$	48	19
$\bar{\nu}_x + {}^{208}\text{Pb} \rightarrow \bar{\nu}_x + {}^{206}\text{Pb} + 2n$	23	6
Total 1n events	225	215
Total 2n events	64	58
Total events	289	272

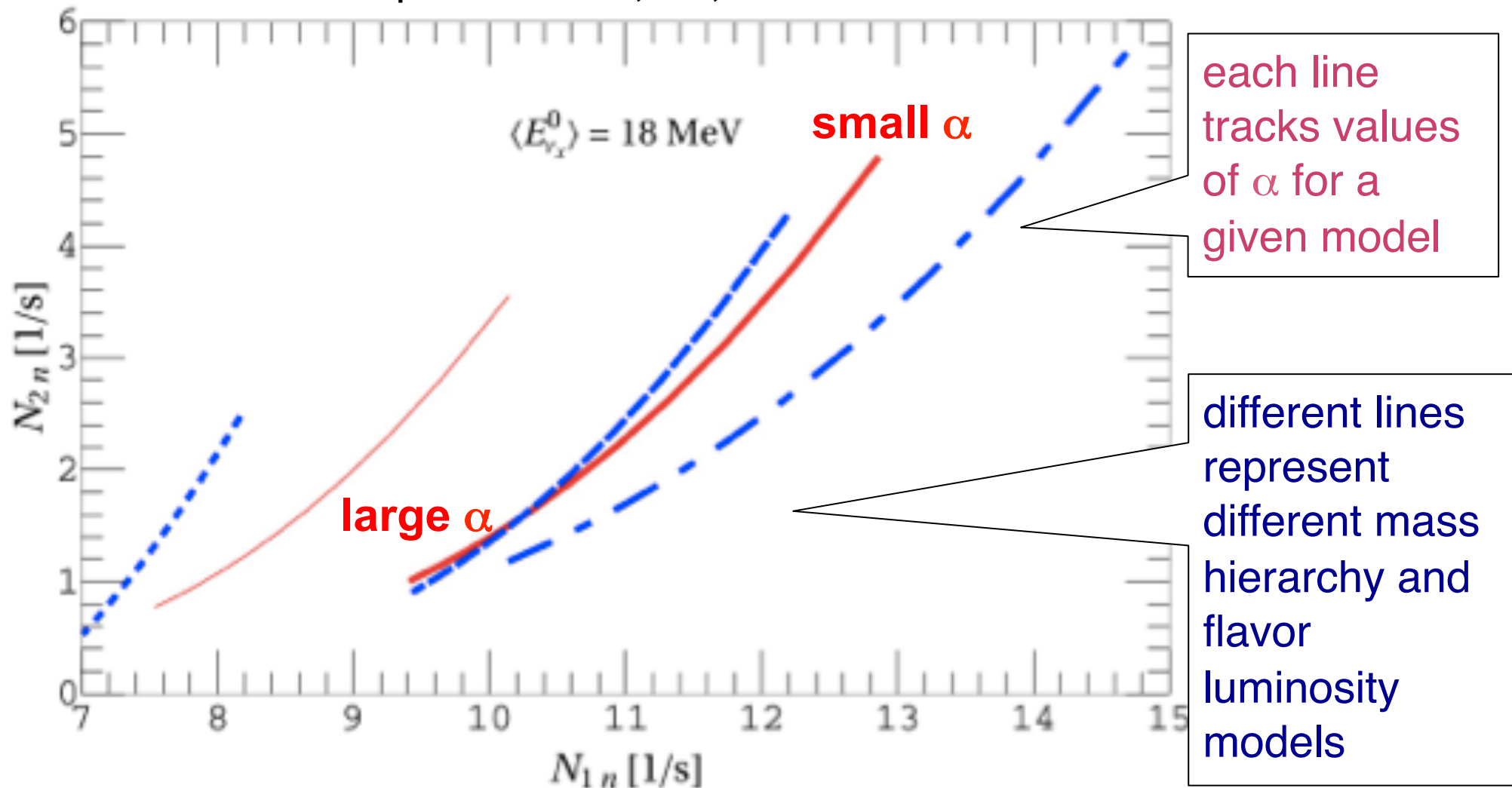
expect  
a few  
hundred  
events  
per kton  
@ 10 kpc



For a given  $\langle E \rangle, \alpha$ , predict a  $(N_{1n}, N_{2n})$  measurement

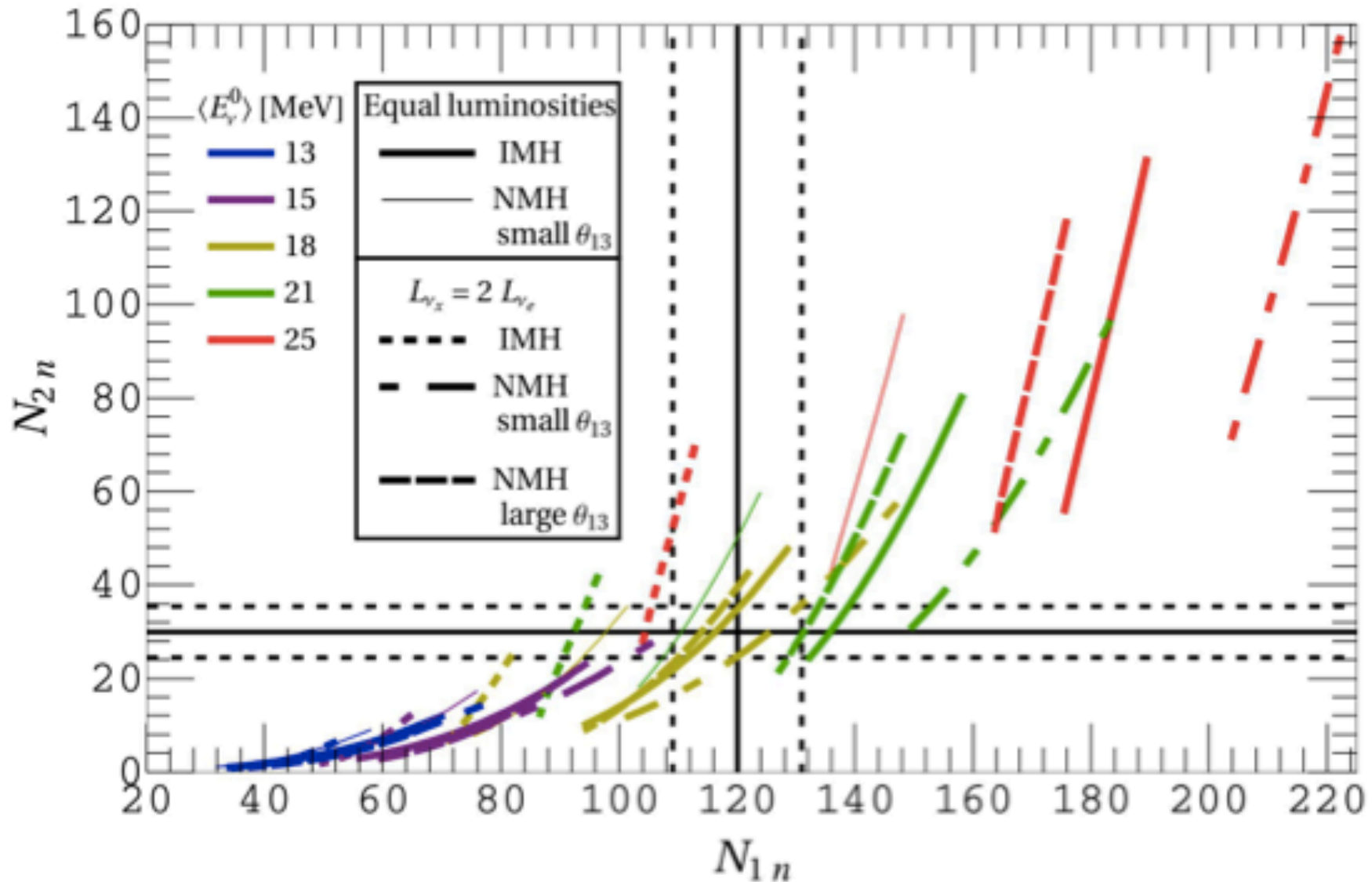
Range of predictions for range of models:

Vaananen & Volpe JCAP 1110:019, 2011, arXiv:1105.6225



# Comparing $(N_{1n}, N_{2n})$ measurement to prediction

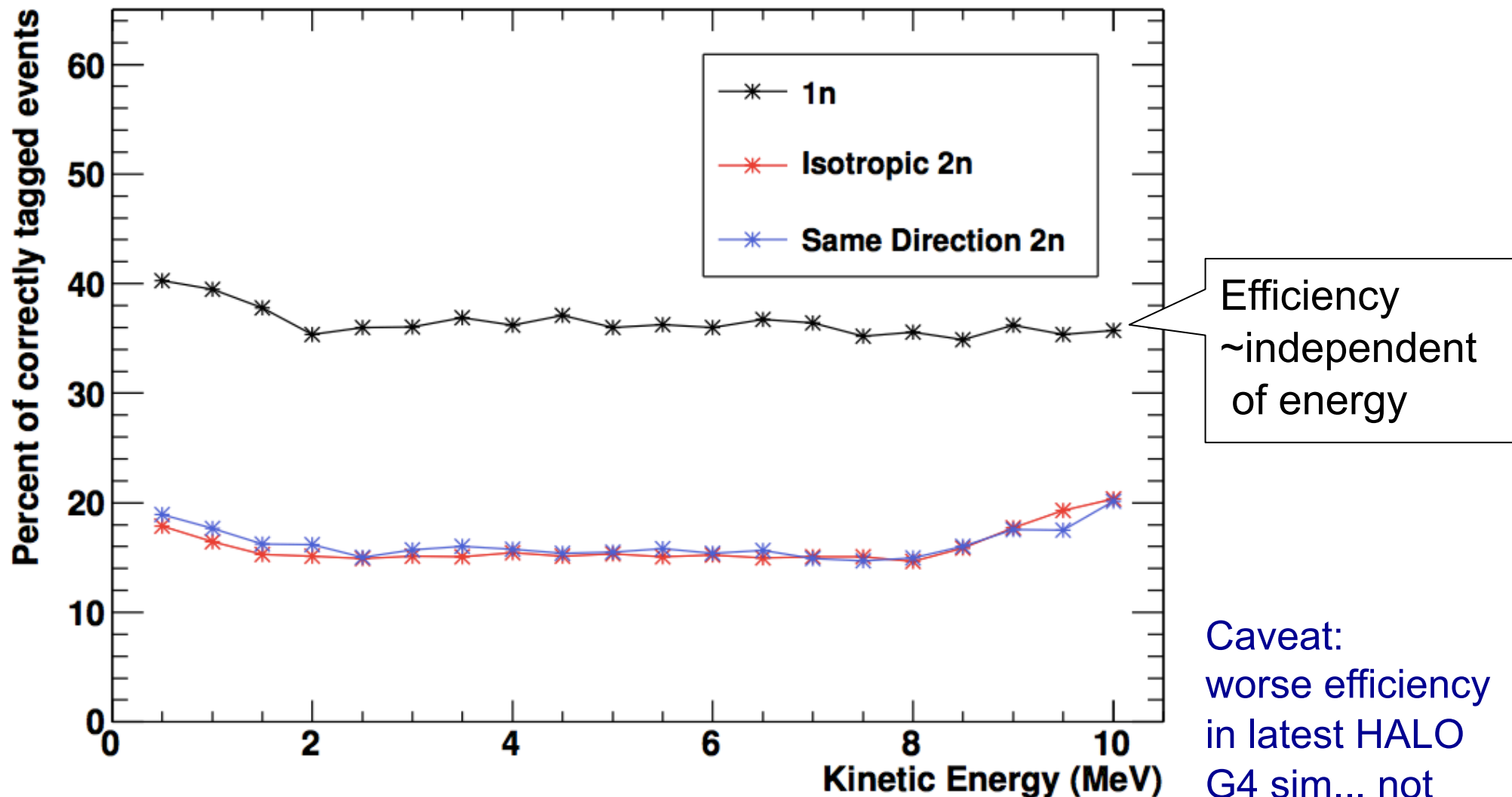
Vaananen & Volpe JCAP 1110:019, 2011, arXiv:1105.6225



One can constrain models by measuring a  $(N_{1n}, N_{2n})$  point in this space

# How well can we do with realistic HALO parameters?

In practice, neutron detection efficiency is not perfect...



Efficiency  
~independent  
of energy

Caveat:  
worse efficiency  
in latest HALO  
G4 sim... not  
yet final



1n and 2n efficiencies estimated from MC:

$$\begin{pmatrix} N_{1n \text{ observed}} \\ N_{2n \text{ observed}} \end{pmatrix} = A(E_n) \begin{pmatrix} N_{1n \text{ true}} \\ N_{2n \text{ true}} \end{pmatrix}$$
$$A(E_n) = \begin{pmatrix} 1n \text{ measured as 1n} & 2n \text{ measured as 1n} \\ 1n \text{ measured as 2n} & 2n \text{ measured as 2n} \end{pmatrix}$$

One can infer the true numbers of 1n & 2n events from observed ones:

$$\begin{pmatrix} N_{1n \text{ inferred}} \\ N_{2n \text{ inferred}} \end{pmatrix} = A^{-1}(E_n) \begin{pmatrix} N_{1n \text{ observed}} \\ N_{2n \text{ observed}} \end{pmatrix}$$

Matrix estimated from MC:

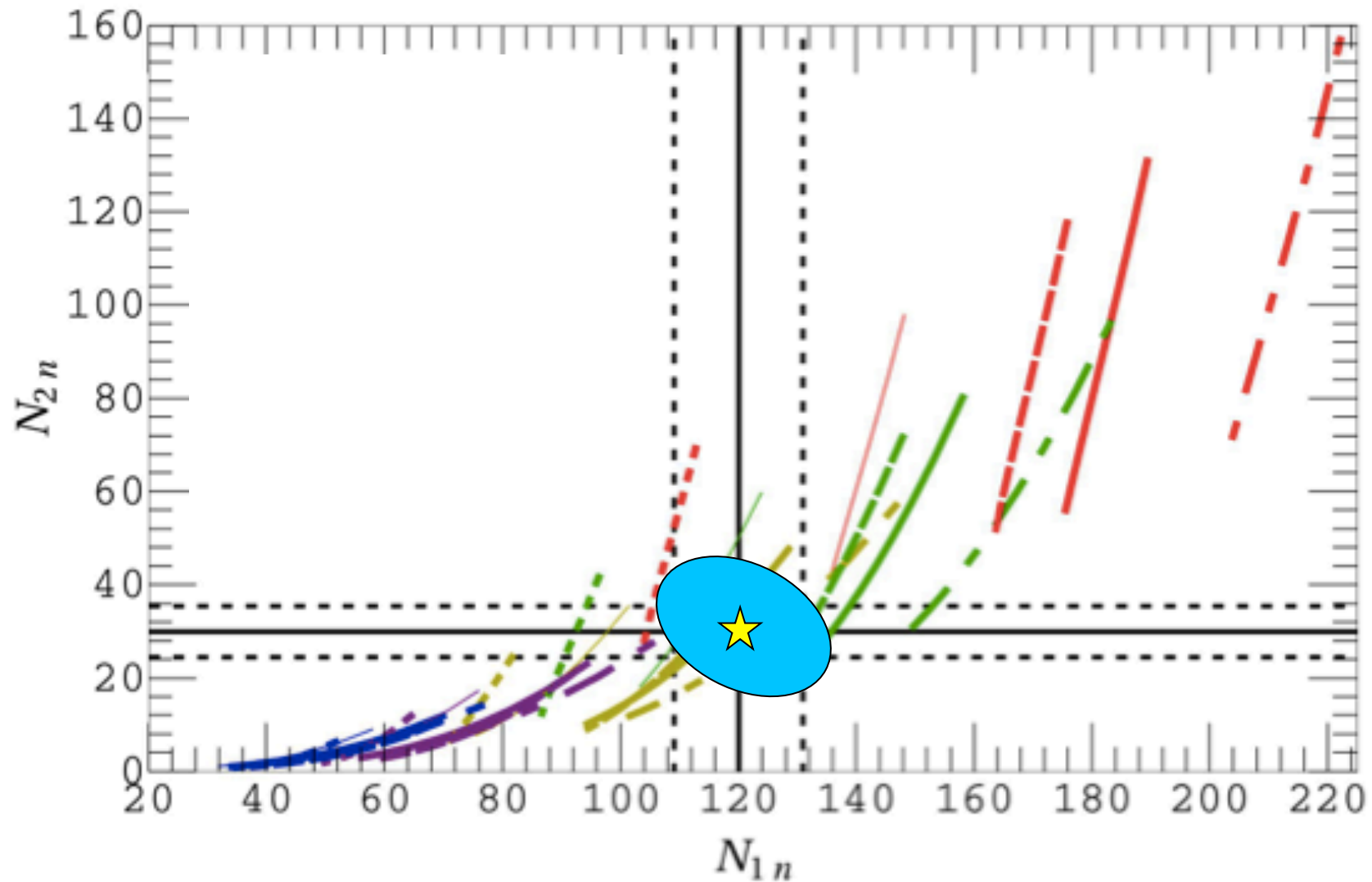
$$A = \begin{pmatrix} 0.38 & 0.41 \\ 0.0002 & 0.15 \end{pmatrix}$$

is reasonably well modeled by

$$A = \begin{pmatrix} \epsilon & 2\epsilon(1 - \epsilon) \\ 0 & \epsilon^2 \end{pmatrix}$$

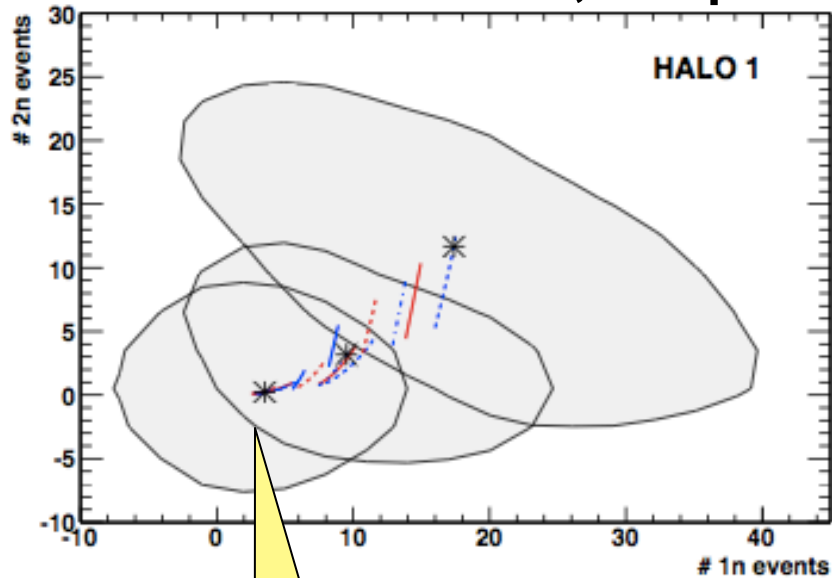
which assumes ~independent n detections

Sensitivity estimate: for given true  $(N_{1n}, N_{2n})$  mean values, use simple Poisson MC to determine range of inferred  $(N_{1n \text{ obs}}, N_{2n \text{ obs}})$  values

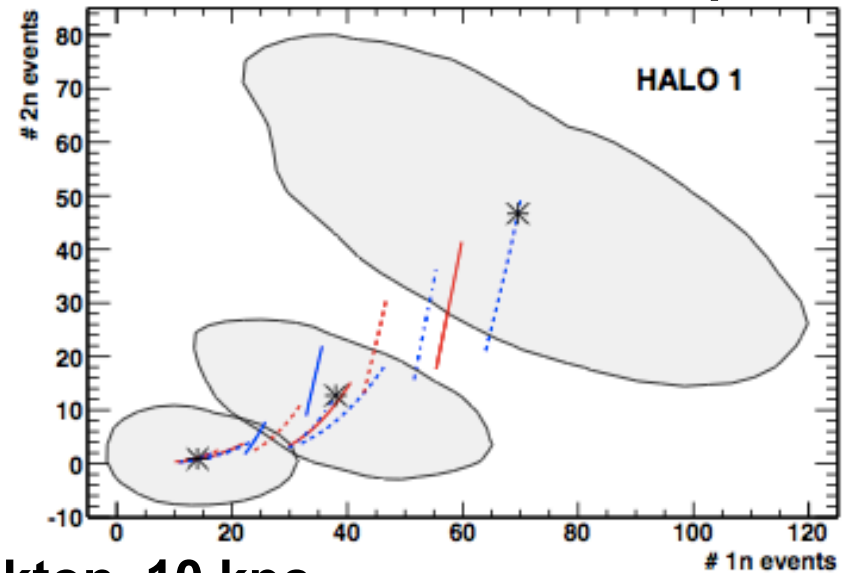


# Results for different detector masses & SN distances

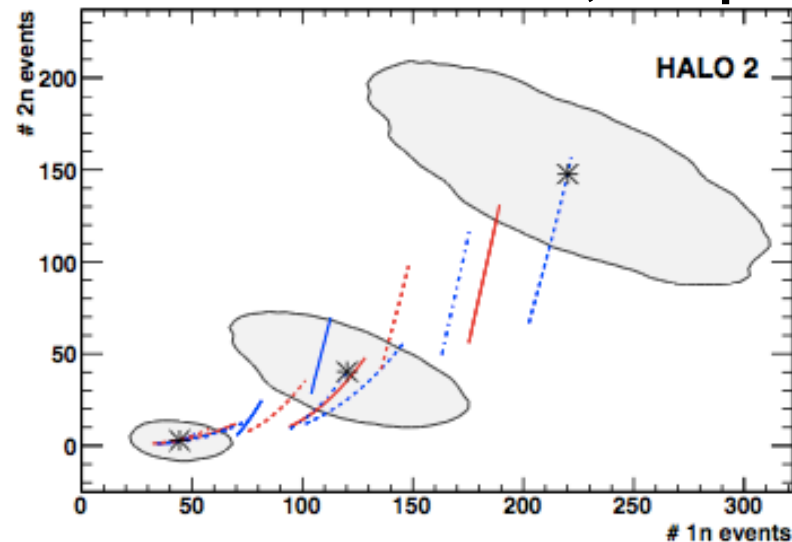
79 tons, 10 kpc



79 tons, 5 kpc



1kton, 10 kpc



Note that measuring few events will give significant information

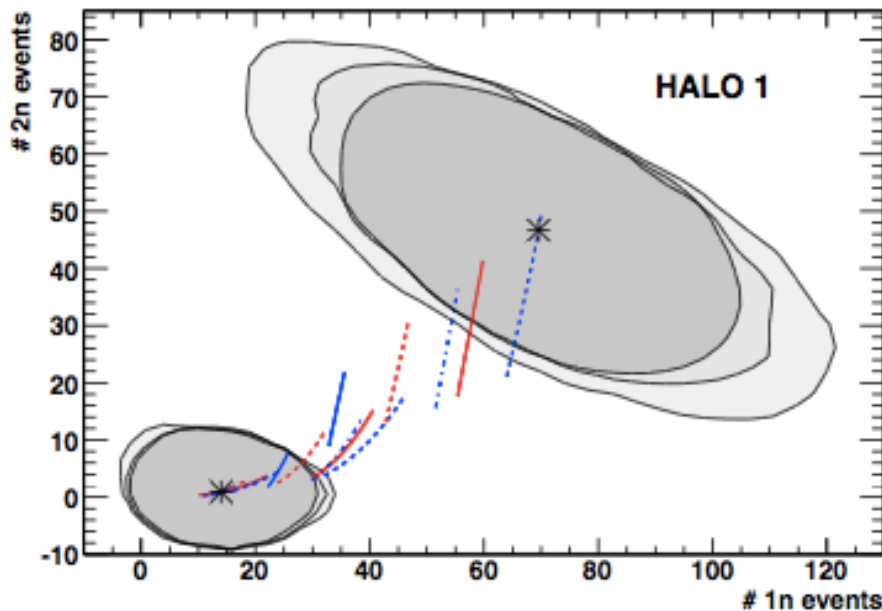
Nicolas Kaiser,  
DAAD exchange student,  
summer 2011

- Curves represent predictions for a range of models with different fluxes and oscillation parameters, from Vaananen & Volpe JCAP 1110:019, 2011
- Shaded regions enclose 90% of HALO inferred values for given true values

# How much better could one do with improved detector efficiency?

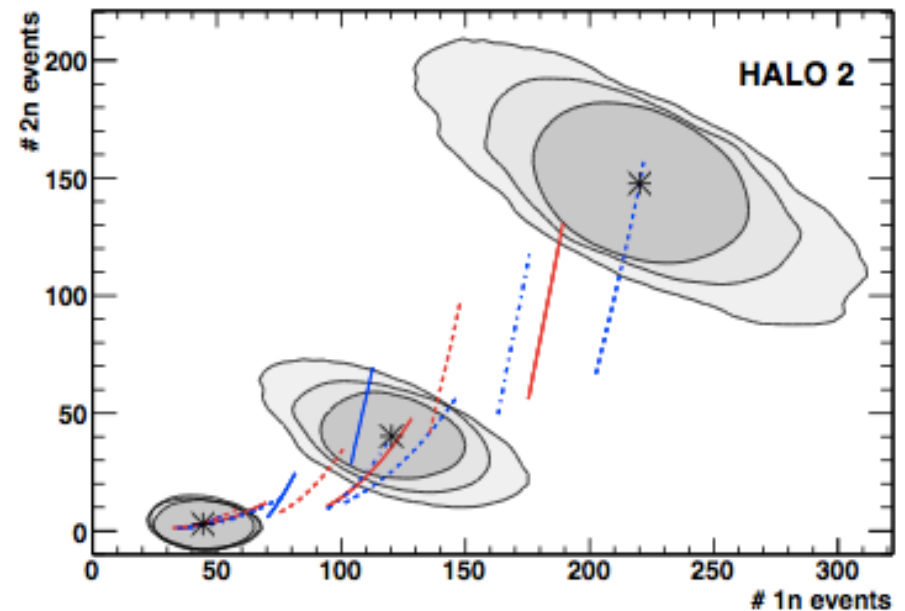
$$A = \begin{pmatrix} \epsilon & 2\epsilon(1 - \epsilon) \\ 0 & \epsilon^2 \end{pmatrix}$$

5 kpc



$\epsilon = 40\%, 50\%, 60\%$

10 kpc



$\epsilon = 40\%, 60\%, 80\%$

# Future

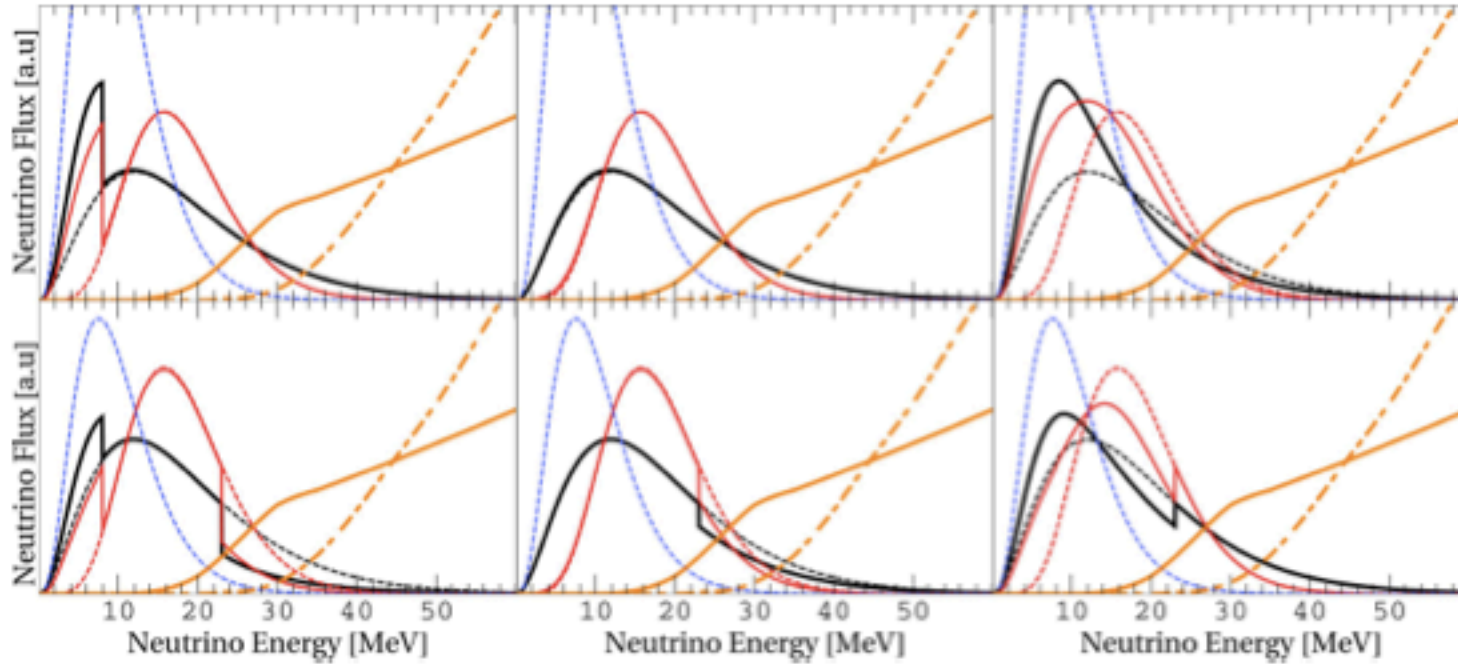
- Simulation improvement
- Calibration with  $^{252}\text{Cf}$  source
- Fast alert and integration into SNEWS
- Possible graphite reflector to improve efficiency
- ~ kt of lead from OPERA...?
- Measurements and theory needed... different isotopes?

# Summary

- SN neutrino spectra for different flavors carry information about supernova physics & neutrino oscillation phenomena
- The observed numbers of  $1\nu$  and  $2\nu$  events in lead is sensitive to neutrino spectral information
- HALO1, with 79 tonnes of lead, is ready to observe SN neutrinos via double & single  $\nu$  emission
- HALO1 has some ability to constrain models for a Galactic SN (observation of only a few events carries information!)
- HALO2, an envisioned upgrade to  $\sim 1$  kton, will have significant sensitivity
- Measurements and theory very useful...



# Backups



**Figure 3.** (Color online) Electron neutrino fluxes at Earth, eq. (3.9), (solid lines) as a function of energy including  $\nu - \nu$  interactions, the MSW effect and decoherence. The primary  $\nu_e$  (blue thin dashed) and  $\nu_x$  (black and red thin dashed) fluxes at the neutrinosphere, eqs. (2.6) and (2.10), are also shown. Black (red) lines correspond to pinching parameter  $\alpha_{\nu_e} = 2$  (7). For the primary  $\nu_e$  flux  $\alpha_{\nu_e} = 3$ . In this figure the primary average energies are fixed as  $\langle E_{\nu_e}^0 \rangle = 10$  MeV,  $\langle E_{\nu_x}^0 \rangle = 18$  MeV. Upper row: equal luminosities, lower row:  $L_{\nu_e} = 2L_{\nu_x}$ . Left panel: inverted mass hierarchy (IMH), middle panel: normal mass hierarchy (NMH) with large  $\theta_{13}$ , right panel: NMH with small  $\theta_{13}$ . Additionally, the charge current  $\nu_e - \text{Pb}$  one-(thick, solid, orange) and two-neutron (thick, dash-dotted, orange) emission cross sections (from ref. [51]) are also shown.

# Examples of SN neutrino spectra modified by collective effects from *neutrino-neutrino* interactions

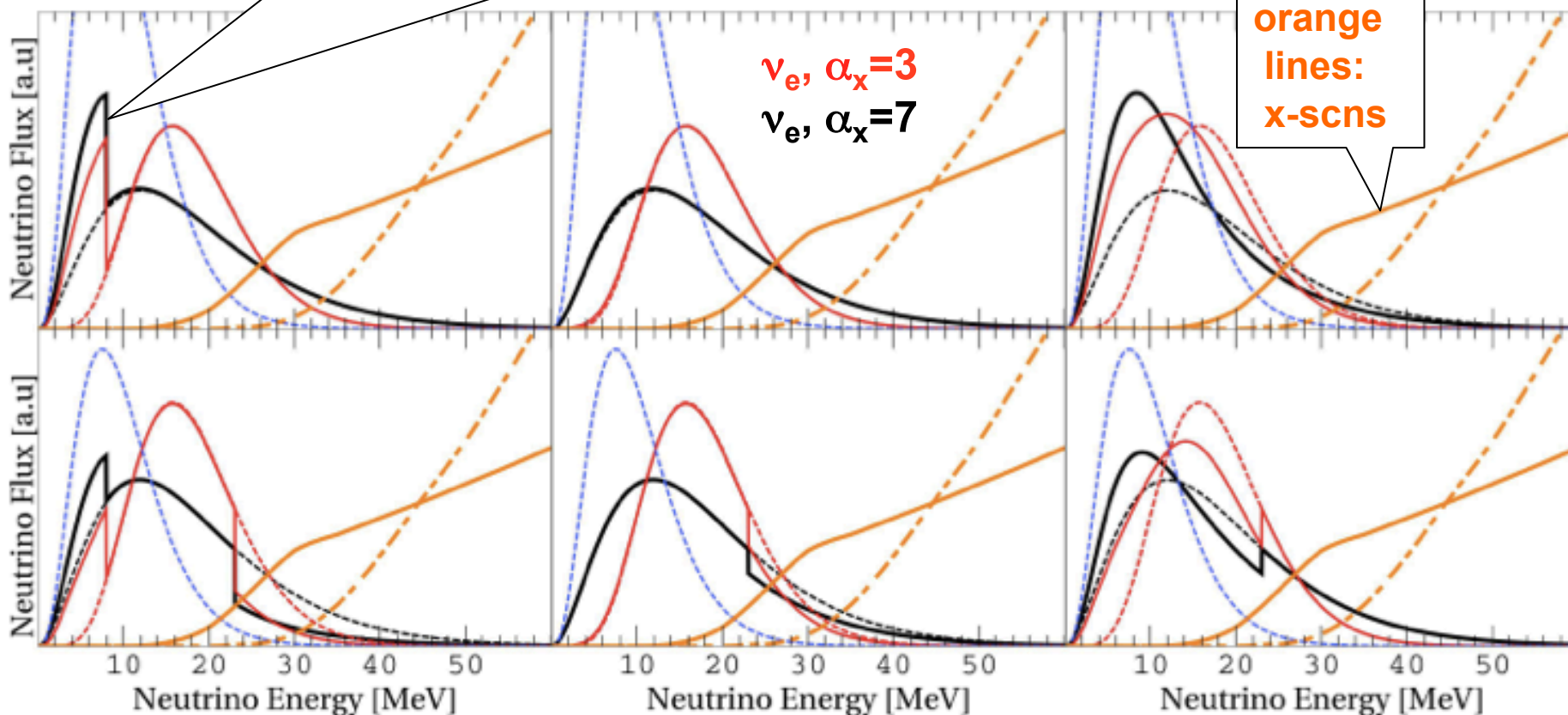
Vaananen & Volpe JCAP 1110:019, 2011, arXiv:1105.6225

“spectral swap” features modify  $\nu$  spectra for different  $\nu$  mass hierarchy,  $\theta_{13}$ , flavor luminosity ratio

$$\begin{array}{c|c|c} \nu_i & Z & \nu_j \\ \hline \nu_i & & \nu_j \end{array}$$

$\nu_e, \alpha_x=3$   
 $\nu_e, \alpha_x=7$

orange lines:  
x-scns



Measuring spectral information for different flavors will help constrain models (astrophysics & mass hierarchy)